# UNCERTAINTY RATIO FOR SHORT RANGE CORRELATION SRC 

L. Abesalashvili* and L. Akhobadze*<br>*High Energy Physics Institute, Ivane Javakhishvili Tbilisi State University, Tbilisi, Georgia

Characteristics of hard and soft interactions and distributions of cumulative protons for $A_{i} A_{t}$ nucleus-nucleus collisions ( $\left.p, d, H e, C\right)(C, T a)$ at $(4.2,10) A G e V / c$ in rapidity space are analyzed. The number of the $\bar{\pi}$ - mesons and protons with maximal cumulative number $N n_{c^{m a x}}$ do not depend on the atomic number $A_{i}$ of the projectile, on the atomic number $A_{f}$ of the target and on the incident energy, but depend only on $n_{c}{ }^{\text {max }}$. Short range correlation $S R C$ condition $\Delta Y=/ Y_{i}-Y_{j} /<2$ are checked. Uncertainty ratio in $Y$-space of rapidity $\Delta Y \Delta P \geq \hbar$ between $\Delta Y$ and $\Delta P$ is entered. The adron's interactions time and radius rin $\approx\left(10^{14}\right) \mathrm{cm}$ are estimated.
Key words: Cumulative end surrouding protons, rapidity space, hard and soft processes, short range correlation

In this regard, we have studied the dependence of the mean set of $<n>-$ secondary particles on the number of $p$-protons, $n$ - neutrons and $N$ - nucleons involved in the interaction. The number of $R p$-protons, Rn-neutrons and $N_{A}$-nucleons (interacting - protons, neutrons and nucleons) is determined in a model - collision within a model that interacts independently. The images $R p, R n$ and $N_{A}$ are obtained with the assumption that the nucleons have a strictly defined radius [1]. The number of protons involved in the interaction is thus determined

$$
\begin{equation*}
R_{p}=\left(Z_{i} A_{t}{ }^{2 / 3}+Z_{t} A_{i} i^{2 / 3}\right)\left(A_{i}{ }^{1 / 3}+A_{t}{ }^{1 / \mathcal{B}}\right)^{2} \tag{1}
\end{equation*}
$$

Rn - The number of neutrons involved in the interaction is thus determined

$$
\begin{equation*}
R_{n}=\left(N_{i} A_{t}^{2 / 3}+N_{t} A_{i}^{2 / 3}\right) /\left(A_{i}^{1 / 3}+A_{t}^{1 / 3}\right)^{2} \tag{2}
\end{equation*}
$$

$N_{A}$ - The total number of nucleons is so

$$
\begin{equation*}
N_{A}=\left(A_{i} A_{t}{ }^{2 / 3}+A_{t} A_{i}^{2 / 3}\right) /\left(A_{i}^{1 / 3}+A_{t}^{1 / 3}\right)^{2} \tag{3}
\end{equation*}
$$

Ai is the mass number of the transmitting nucleus, At is the mass number of the target nucleus.

It is known that Heizenberg's Uncertainty Ratio for momentum and coordinate is thus written

$$
\begin{equation*}
\Delta P \Delta x \geq \hbar . \tag{4}
\end{equation*}
$$

Uncertainty Ratio for energy and time is as follows:

$$
\begin{equation*}
\Delta E \Delta t \geq \hbar . \tag{5}
\end{equation*}
$$

From (2) it can be seen that the greater energy releases, the faster the proceeds, i. e. the value of $\Delta t$ is small. The larger the transmitted momentum from (1), the closer the colliding particles move to each other. The time $\Delta t$ of interaction determines the radius:

$$
\begin{equation*}
r_{\text {in }}=\Delta t \cdot c \tag{6}
\end{equation*}
$$

where c is the speed of light.
If transmitted energy is 4 GeV , then

$$
\begin{equation*}
\Delta t[\mathrm{sec}]=\frac{\hbar}{\Lambda E}=\frac{1.05 \times\left(10^{-27}\right) \mathrm{erg} \cdot \mathrm{sec}}{4 \cdot 1.6 \cdot 10^{-3} \mathrm{erg}}=0.16 \cdot 10^{-24} \mathrm{sec}=1.6 \cdot 10^{-25} \mathrm{sec} . \tag{7}
\end{equation*}
$$

It follows that the radius of interaction is:

$$
\begin{equation*}
r_{\text {in }}=\Delta t \cdot c=1.6 \cdot 10^{-25} \cdot 3 \cdot 10^{10} \mathrm{~cm}=4.810^{-15} \mathrm{~cm} . \tag{8}
\end{equation*}
$$

We can write (1) the image in the same way

$$
\begin{equation*}
\Delta Y \Delta P \geq \hbar . \tag{9}
\end{equation*}
$$

$\Delta Y$ is the distance between the particles in the space of rapidity. If the distance of rapidity space $\Delta Y$ is small, then the value of the transmitted momentum is large. If the value of $\Delta Y$ is large, then the value of $\Delta P$ is small and the particles momentum is large. According to this logic the cumulative $P^{\text {cum }}$, their surrouding protons $P^{\text {ass }}$ momentum and $\langle\Delta Y\rangle$ must be sharply different from each other. The experiment also proves this [2,3]. Experimental data indicate that the density of nuclear matter in the central collisions of light nuclei (carbon-carbon $4.2 \mathrm{AGeV} / \mathrm{c}$ ) is close to the transition to qg-quark-gluon plasma, i. e. in laboratory conditions we can obtain high-density nuclear matter. Experimental data are obtained on the two metre propane bubble chamber $P B C-500$ in the Laboratory of High Energy of the Joint Institute for Nuclear Research (Dubna). The chamber was bombarded by beams of relativistic nuclei $p, d, H e, C$ in the momentum range (2-10) AGeV/c (Fig. (1-3)).

$$
\begin{align*}
& <\Delta Y\left(P^{u m}\right)>(C T a ; 4.2 A G e V / c)=(0.242 \pm 0.006) ; \\
& <\Delta Y\left(P^{s s s}\right)>(C T a ; 4.2 A \mathrm{GeV} / c)=(0.460 \pm 0.012) \text {; } \\
& \left.<P_{L}\left(P^{\text {cum }}\right)\right\rangle(C T a)(4.2 A G e V / c)=(0.578 \pm 0.015) \mathrm{GeV} / \mathrm{c} \text {; } \\
& \left\langle P_{L}\left(P^{a s s}\right)\right\rangle(C T a)(4.2 A G e V / c)=(1.098 \pm 0.012) \mathrm{GeV} / \mathrm{c} \text {. }  \tag{10}\\
& <\Delta Y\left(P^{\text {cum }}\right)>(p C ; 4.2 A G e V / C)=(0.082 \pm 0.033) ; \\
& <\Delta Y\left(P^{s s s}\right)>(p C ; 4.2 A G e V / c)=(0.511 \pm 0.022) \text {; } \\
& <P_{L}\left(P^{\text {uum }}\right)>(p C)(4.2 A G e V / c)=(0.591 \pm 0.031) \mathrm{GeV} / \mathrm{c} \text {; } \\
& \left.<P_{L}\left(P^{\text {ass }}\right)\right\rangle(p C)(4.2 A G e V / c)=(1.283 \pm 0.048) G e V / c . \tag{11}
\end{align*}
$$

## Conclusion

To study of average kinematic characteristics of protons, deuttrons, helium's and carbons nucleus at carbons nucleus $A_{i} A_{t}=(p, d, H e, C) C$ generated as a result of collisions surprised us [4-7]:

1. The short range correlation $S R C$ condition $\Delta Y=|Y i-Y|<2$ strictly completed for cumulative protons $P^{\text {uum }}$. The value of $\Delta Y$ are in the range ( $0-1$ ).
2. Average kinematic characteristics of cumulative protons $\left\langle\Delta Y\left(P^{\text {cum }}\right)\right\rangle$ and $\left\langle P_{L}\left(P^{\text {iss }}\right)\right\rangle$ do not depend on the $A i$ and $A t$ (on the atomic number of projectile and the incident energy). It can by said then the hypothesis of soft decoloration takes place.
3. The value $\left\langle\Delta Y\left(P^{a s s}\right)\right\rangle$ and $\left\langle\Delta Y\left(P^{*}\right)\right\rangle$ in the range ( $0-2$ ) and $98 \%$ meet $S R C$ the condition $<\Delta Y>2$.
4. Average value of $<\Delta Y>$ for protons $P^{\text {pss }}$ and $P$ strongly dependent on the target mass $\left(<\Delta Y\left(P^{\text {ass }}\right)>T a \ll \Delta Y\left(P^{\text {pss }}\right)>C\right)$.
5. Uncertainty ratio in the rapidity space between $\Delta Y$ and $\Delta P$ it can be written like this $\Delta Y \Delta P \geq \hbar$, i. e. decreasing the value of $\Delta Y$ lads to increasing the value of the transmitted impuls $\Delta P$.
6. The time and radius of interaction of the adron's are estimated to be equal $r_{i n} \approx\left(10^{-14}\right) \mathrm{cm}$.


Fig.. 1. $d(\Delta Y)=f(\Delta Y) . \Delta Y$ - distribution for cumulative protons $P^{\text {um }-~}$
$(10 \mathrm{GeV} / \mathrm{c}) \rightarrow P^{\mathrm{um}}$.


Fig.. 2. $d N / d(\Delta Y)=f(\Delta Y) . \Delta Y$ - distribution for surouding protons from hard processes $N_{e r}{ }^{H}-p C(10 G e V / c) \rightarrow P^{\text {ass }}$.


Fig. 3. $d N / d(\Delta Y)=f(\Delta Y) . \Delta Y$ - distribution for protons $P^{8}$ from soft processes $N_{e v}{ }^{s}-p C(10 G e V / c) \rightarrow P^{s}$.

## REFERENCES

1. H. Steiner, (1977). Preprint LBL - 6756, Berkeley.
2. Abdurakhmanov P.Q., Angelov N. et.al. (1971) Raspredelenie po mnozestvennosti vtorrichnykh chastits v ПР, Пn, ПC, vzaimodeistviiakh pri impulse $P=40 \mathrm{GeV} /$ c. alma-ata-bocharest-cracow-dubna-hanoi-serpukhov-sofia-tashkent-tbilisi-ulan-bator-warshawa collaboration. Phys. Lett. 39B, (4): 571-579.
3. Agakishiev G.N. et. al. (1987) Analysis of Behavior of $\pi$ - Mesons and Protons Produced in Nucleus-nucleus Interactions at $4.2(\mathrm{GeV}) / \mathrm{c}$ Per Nucleon Depending on the Number of Interacting Protons. Alma-Ata-Baku-Belgrade-Bucharest-Dubna-Kishinov-Moskow-Tashkent-Tbilisi-Ulan-Bator-Varna-Warshawa-Yerevan collaboration. ЯФ. 451373.
4. Abesalashvili L.N. and Akhobadze L.T. (2007) Description of Multiparticle Production by Gluon Dominance Model. e-Print: arXiv: 0711.4461 [hep-ph].
5. Abesalashvili L.N. and Akhobadze L.T. (2009) Description of Multiparticle Produc tion of Charged particles by Gluon Dominance Model in Hadron-Hadron and Hadron-Nucleus Collisions. Phys.Atom. Nucl. 72:97-104.
6. Abesalashvili Liana, Akhobadze Lali, Garsevanivili Vakhtang, Tevzadze Yuri. (2017). Analisis of Characteristics of Protons Produced in Soft and Hard Processes in Nucleus-Nucleus Collisions at Relativistic Energies. Bull. Georg. Nati. Acad. of Sci., 11 (1): 31-37.
7. Abesalashvili Liana, Akhobadze Lali. (2021) $p$ - Protons and $\pi$ - Mesons Produced in ( $p, d, \mathrm{He}, \mathrm{C})(\mathrm{CTa})$ Collisions at the $(4.2,10)$ AGeV/c. Bull. Georg. Nati. Acad. of Sci., 15(1): 33-37.
